



High-Precision Laser Dilatometry Precipitation Processes in Titanium and Aluminium Alloys

Method and Application

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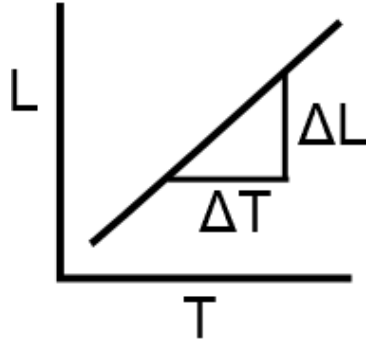




Dilatometry – seemingly a well-known method

Determination of thermal expansion:

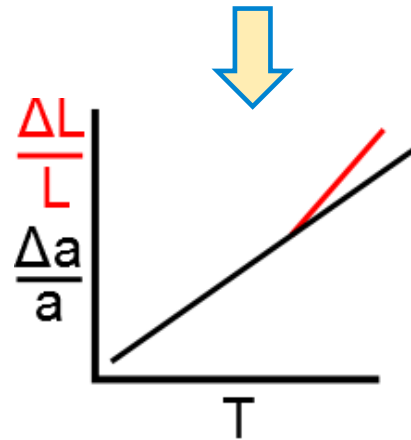
$$L \cdot \alpha = \frac{\Delta L}{\Delta T}$$



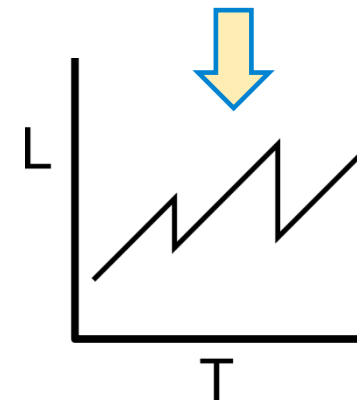
Additional volume effects:
e.g. First-order Phase transitions



Advanced Techniques
Free-volume kinetics (vacancies etc.)



Special Techniques
Deformation Dilatometer
Quenching, etc.





Dilatometry – seemingly a well-known method

In theory dilatometry is the ideal method to study thermodynamic processes in materials:

Thermodynamic state variable
Volume [V]
easy to assess, **can be measured in absolute terms**

Thermodynamic state variable
Heat [Q]
practically inaccessible, **only changes are measurable**

Historically industry has put **very little effort in the improvement of Dilatometers, Calorimetry** (e.g. DSC) was **developed to a very advanced stage.**

Pressing needs and questions in modern materials science:

- **Precipitation kinetics** (multistage) **in complex alloys**
- **Defect annihilation and formation** (vacancies, dislocations, pores etc.)
- **Isothermal measurements with useful measurement stability**
- **Slow processes – long-time measurements**
- **Separation of kinetics and crystal lattice expansion** (modulation)
- **Optimized heating and cooling concepts**

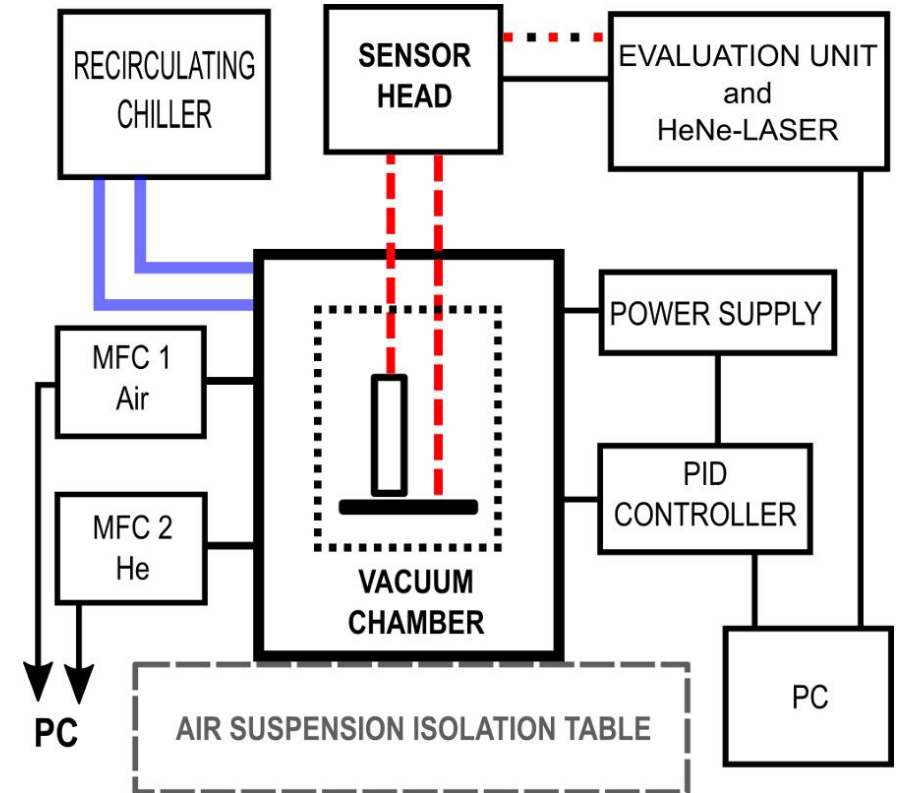
.... **Cannot be tackled by commercial equipment**



The advanced dilatometry project

Project Goals:

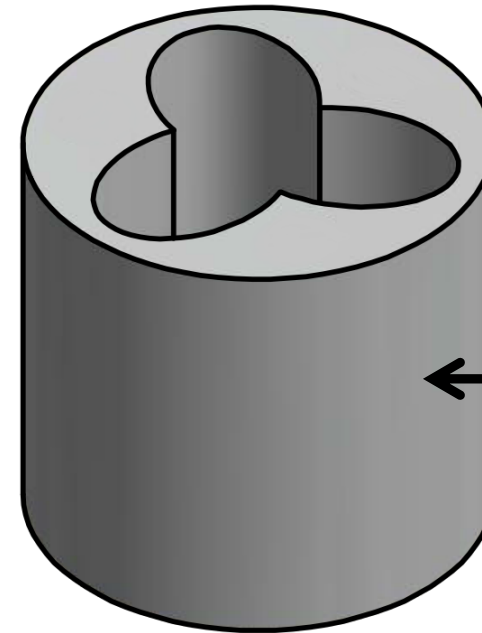
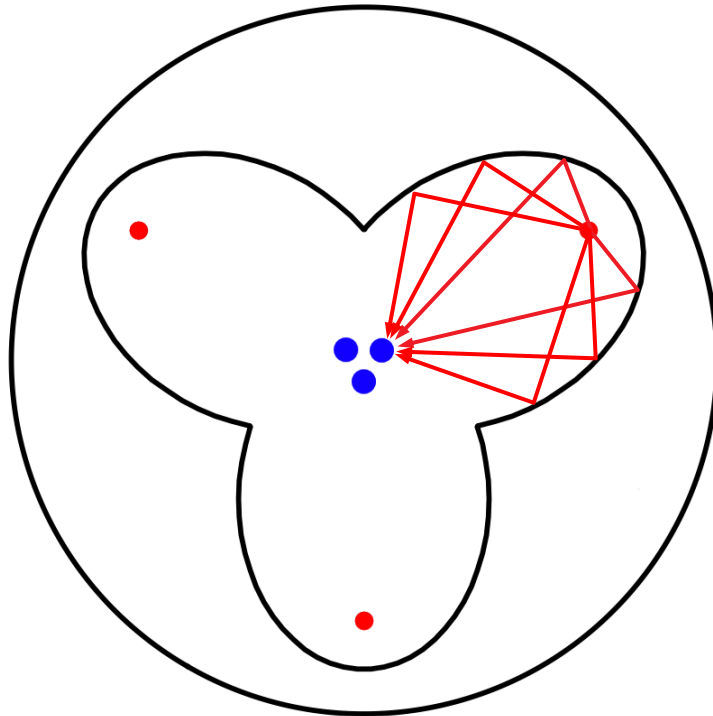
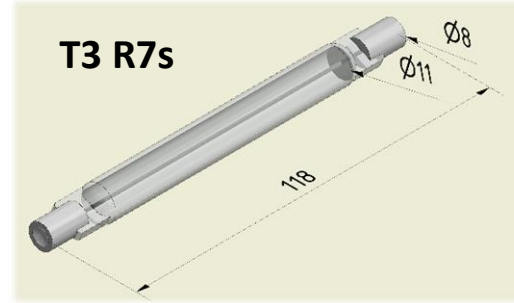
- Fast and precise temperature control **exceeding the capabilities of available furnace concepts**
- **nm-resolution** without the need for special sample geometry, based on laser interferometry
- **Highest stability against environmental influences** by using the latest interferometer technology: SIOS SP120DI
- Full **implementation of sinusoidal temperature modulation** into the controller
- Possibility for sample cooling (quenching)





Furnace Concept

One possibility: In-vacuum halogen lamp furnace



Aluminum Reflector with 3 nearly confocal elliptical cutouts

By using conventional 300 W Tungsten halogen lamps
very high energy densities can be reached



Furnace Concept

Advantages

- “Cold wall” concept --> only Tungsten filament and sample (sample-holder) is heated. Water-cooled reflector stays at constant temperature.
- Control time constant is very low. Filament temperature change rate > **1000 K/s** --> **no deadtime in the control loop.**
- Due to the radiation focusing a very high heat flux can be achieved
- No restrictions on the sample material

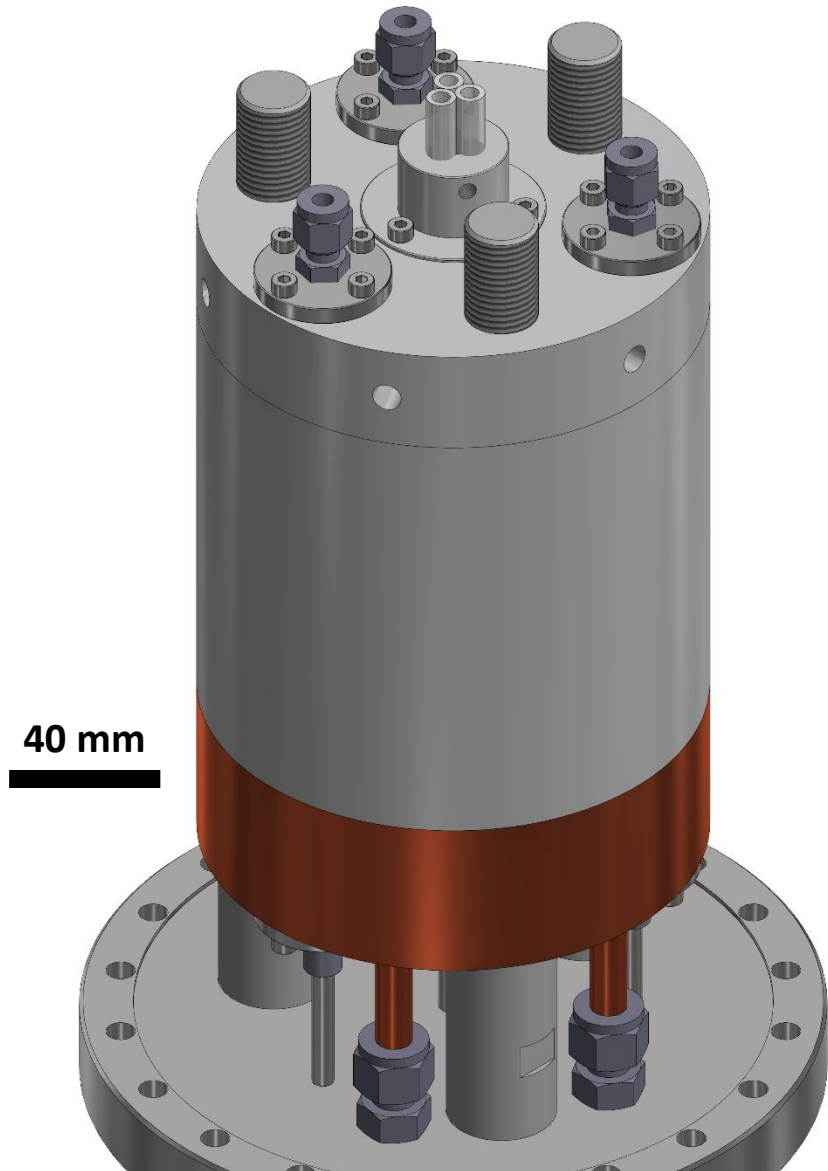
Large heat flux
+
low thermal inertia
=
Fast and precise control

Disadvantages

- Tight tolerances and mirror like surface finish > challenging to produce
- Halogen lamps cannot operate in vacuum > complex cooling design

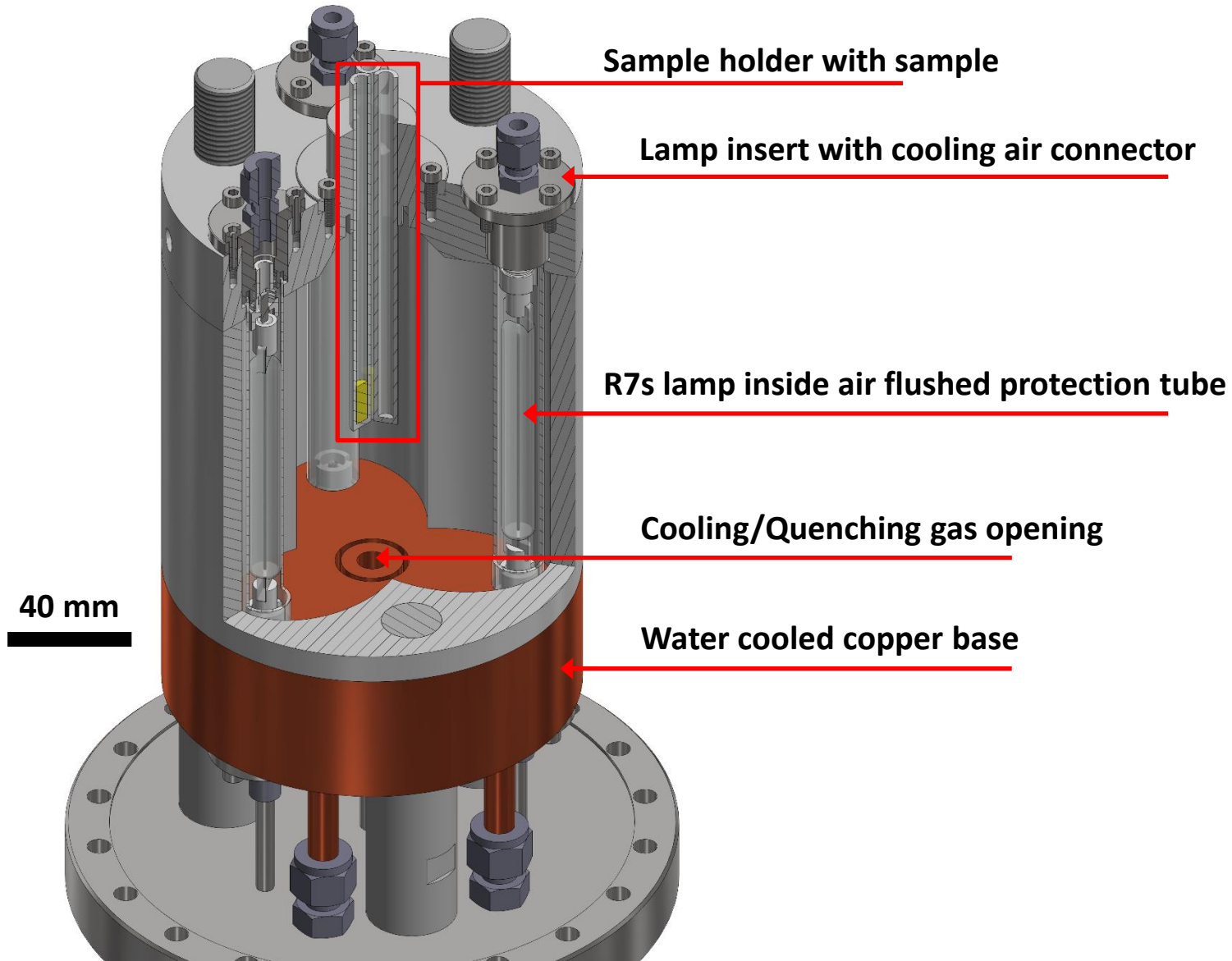


The finished furnace / sample holder assembly



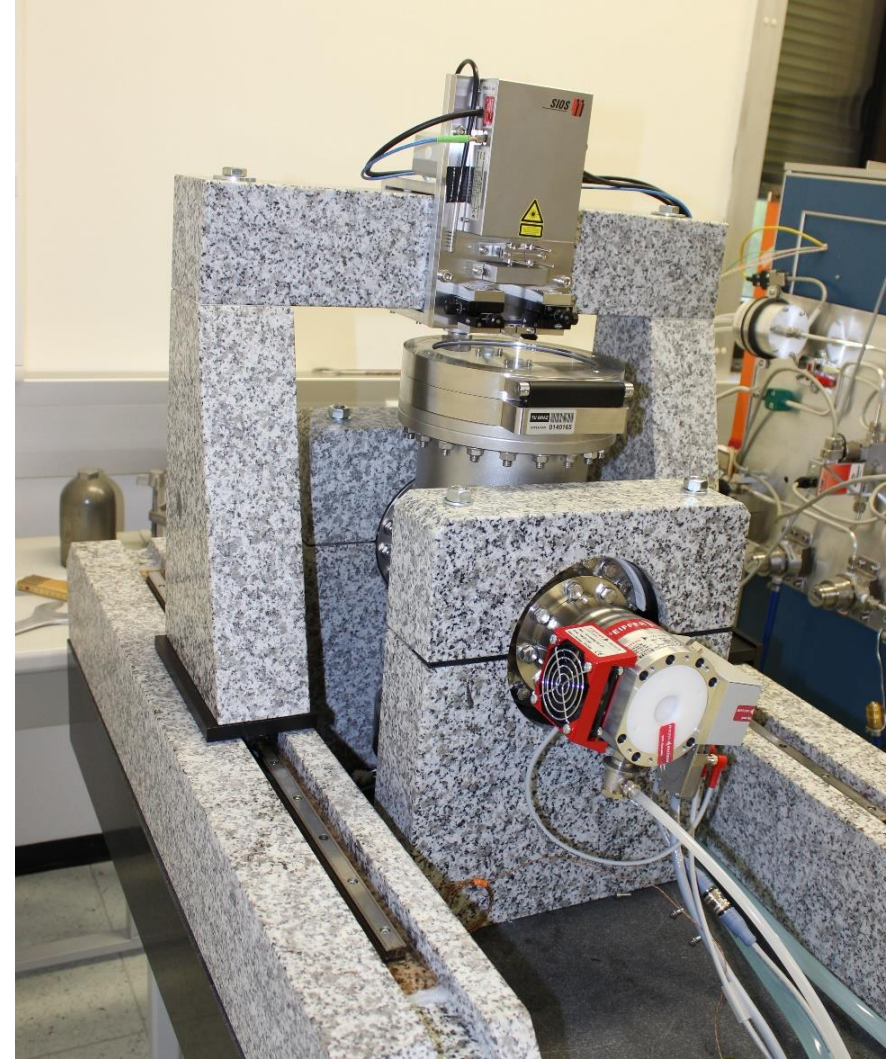
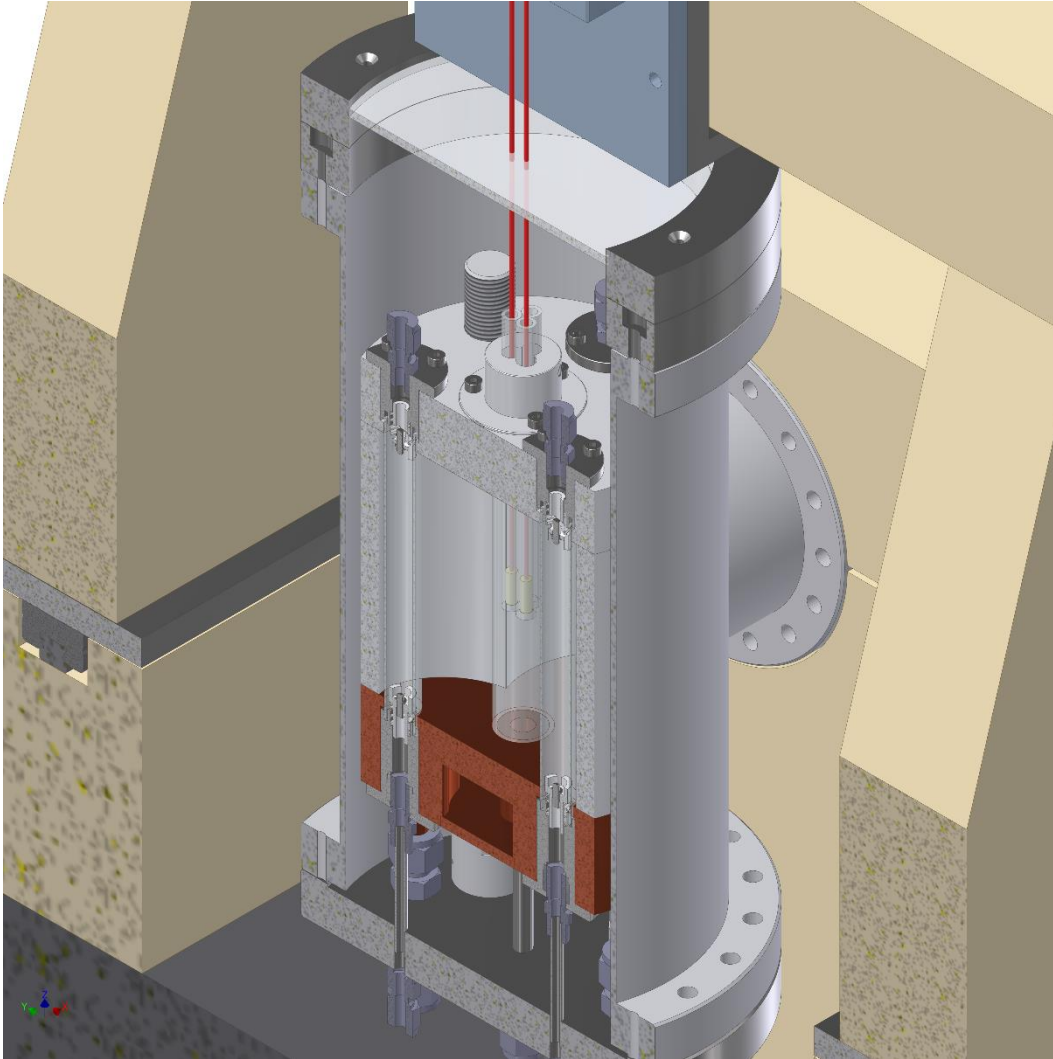


The finished furnace / sample holder assembly





The finished setup



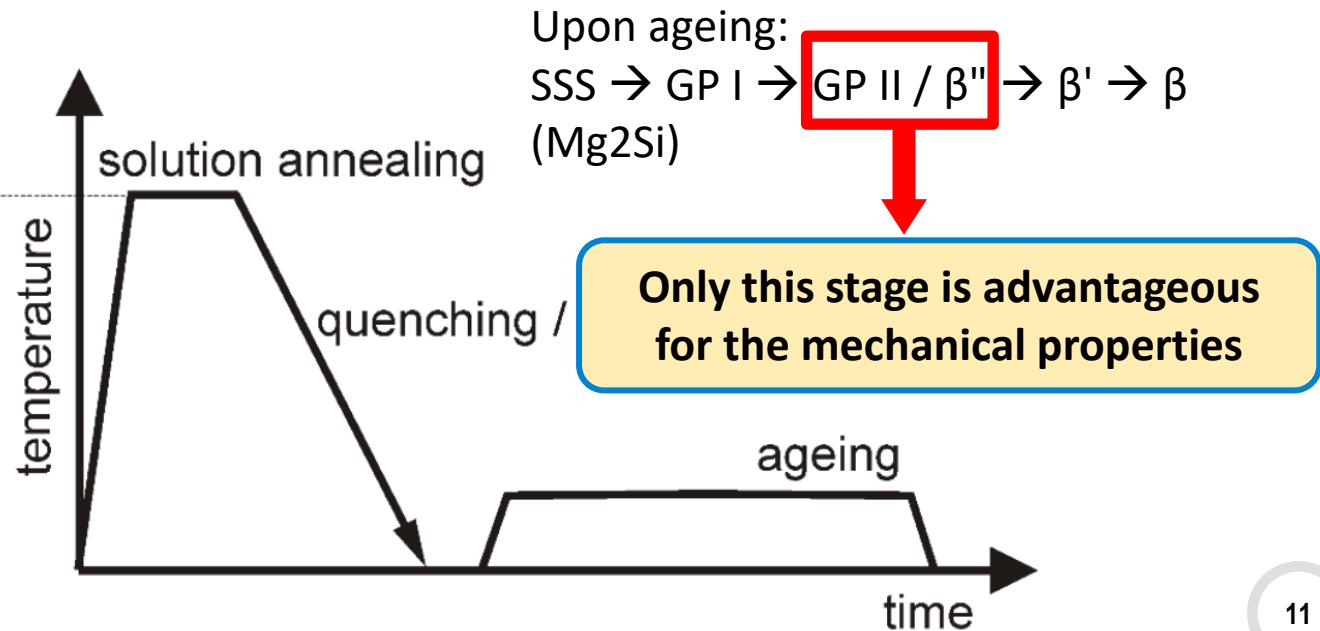
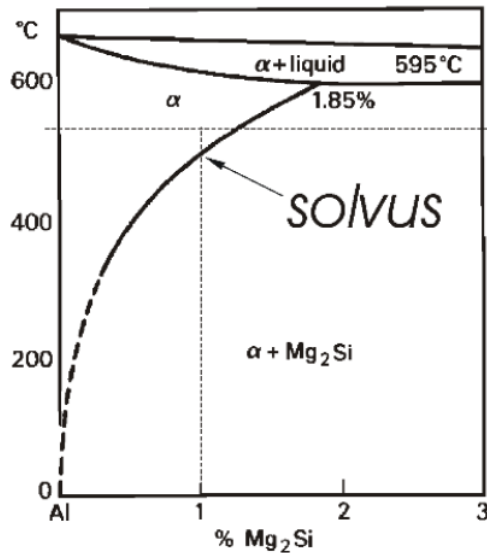


Case study 1:
Time-Temperature-Precipitation behavior
AW 6060



Precipitate formation in Al-Mg-Si (AW6060)

- **Al-Mg-Si** is one of the most widely used hardenable aluminum alloy systems.
- After solid solution annealing and quenching and depended on the annealing temperature, a variety of metastable phases form on the way to the stable Mg_2Si phase.



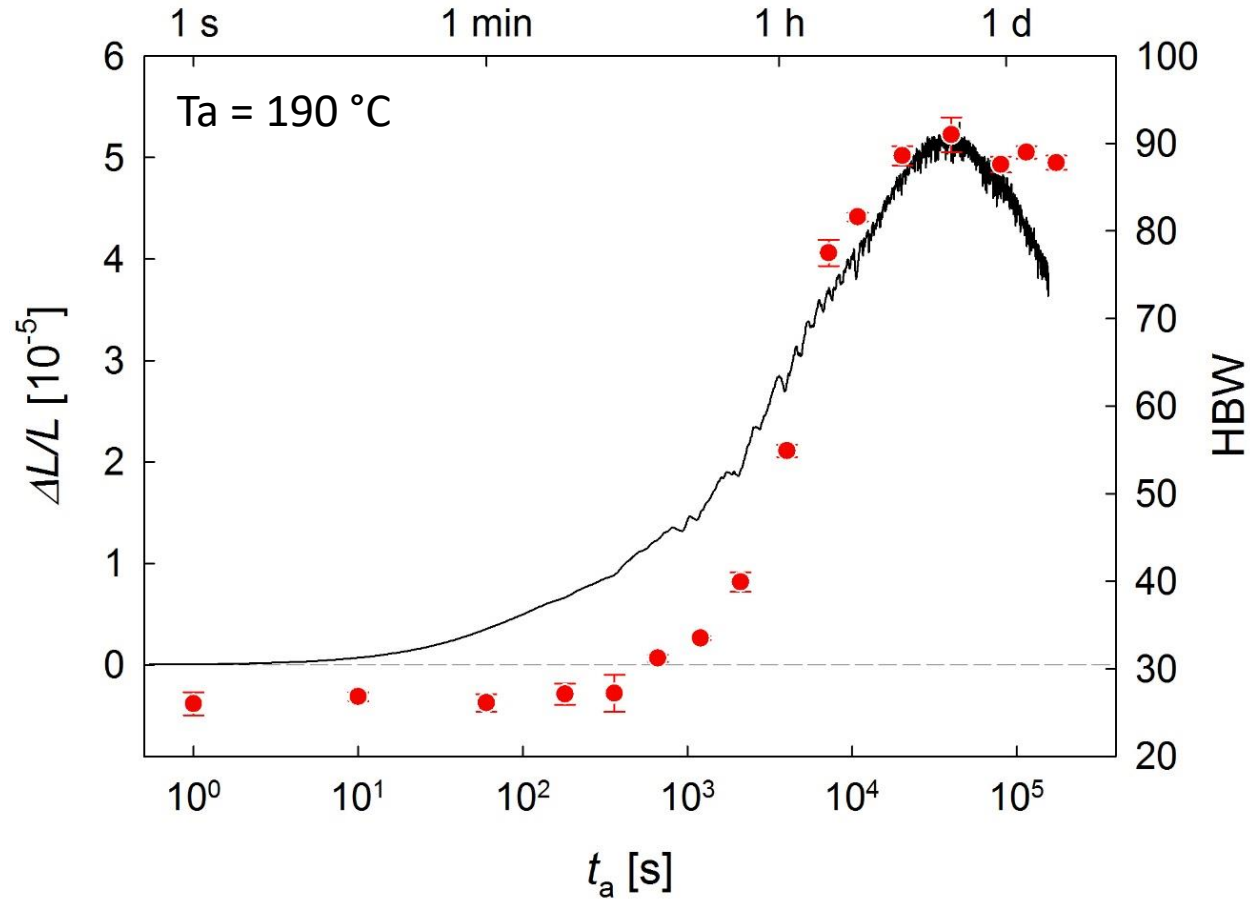


Precipitate formation in Al-Mg-Si (AW6060)

- In principle the **precipitation process causes an isothermal volume change** at the aging temperature.
 - The direct observation of this volume change would directly depict the precipitation sequence and lead to the ideal time – temperature combination for a **maximum of β'' -phase**.
- **HOWEVER:** The effect is expected to be in the **sub- μm regime** for reasonable sample sizes (< 30 mm) and takes **hours to days**.



Precipitate formation in Al-Mg-Si (AW6060)



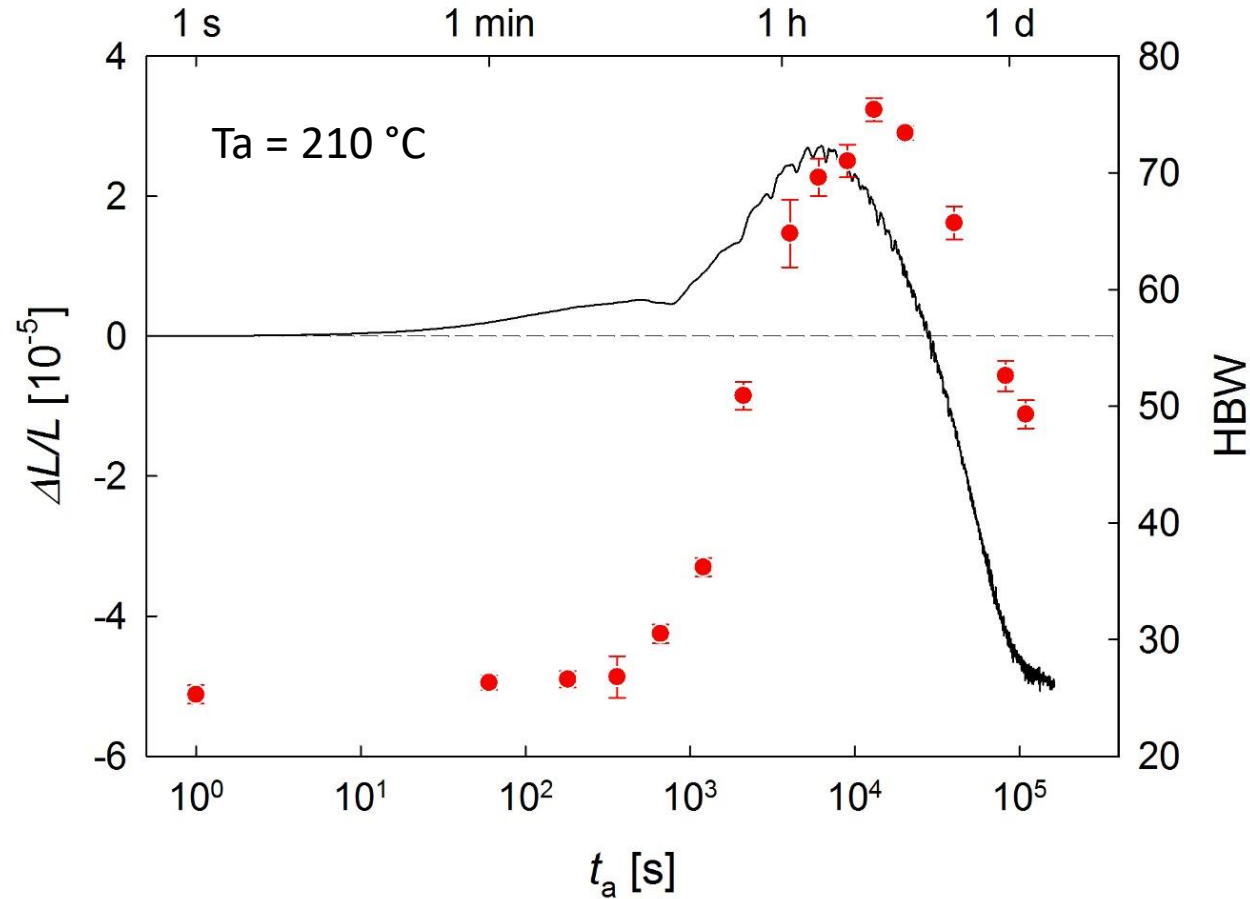
Complete heat treatment cycle was performed in the dilatometer:

Step 1	Solutionizing: 540 °C 25 min
Step 2	He-quench to RT
Step 3	Holding for 4 min
Step 4	Heating to variable annealing temperature at 300 K/min

The volume change is clearly visible and corresponds to the hardness change.



Precipitate formation in Al-Mg-Si (AW6060)



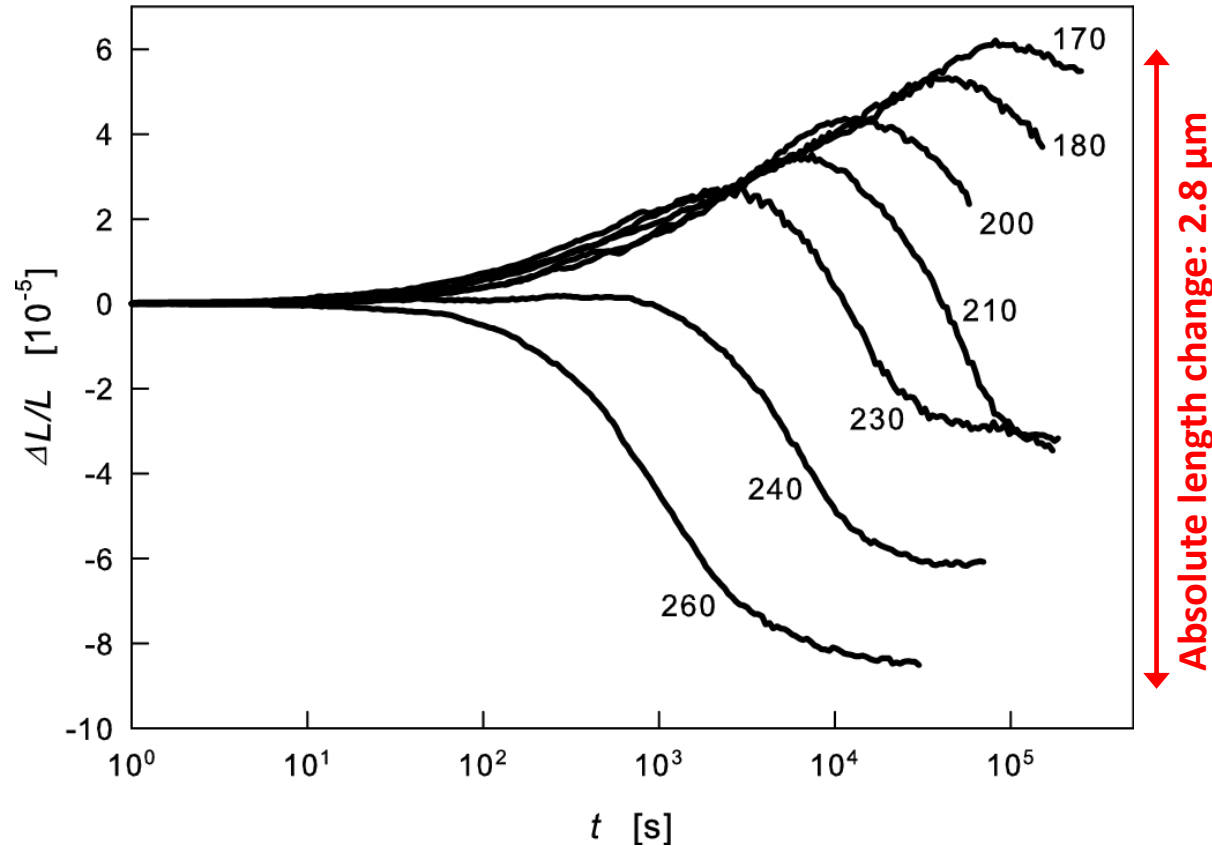
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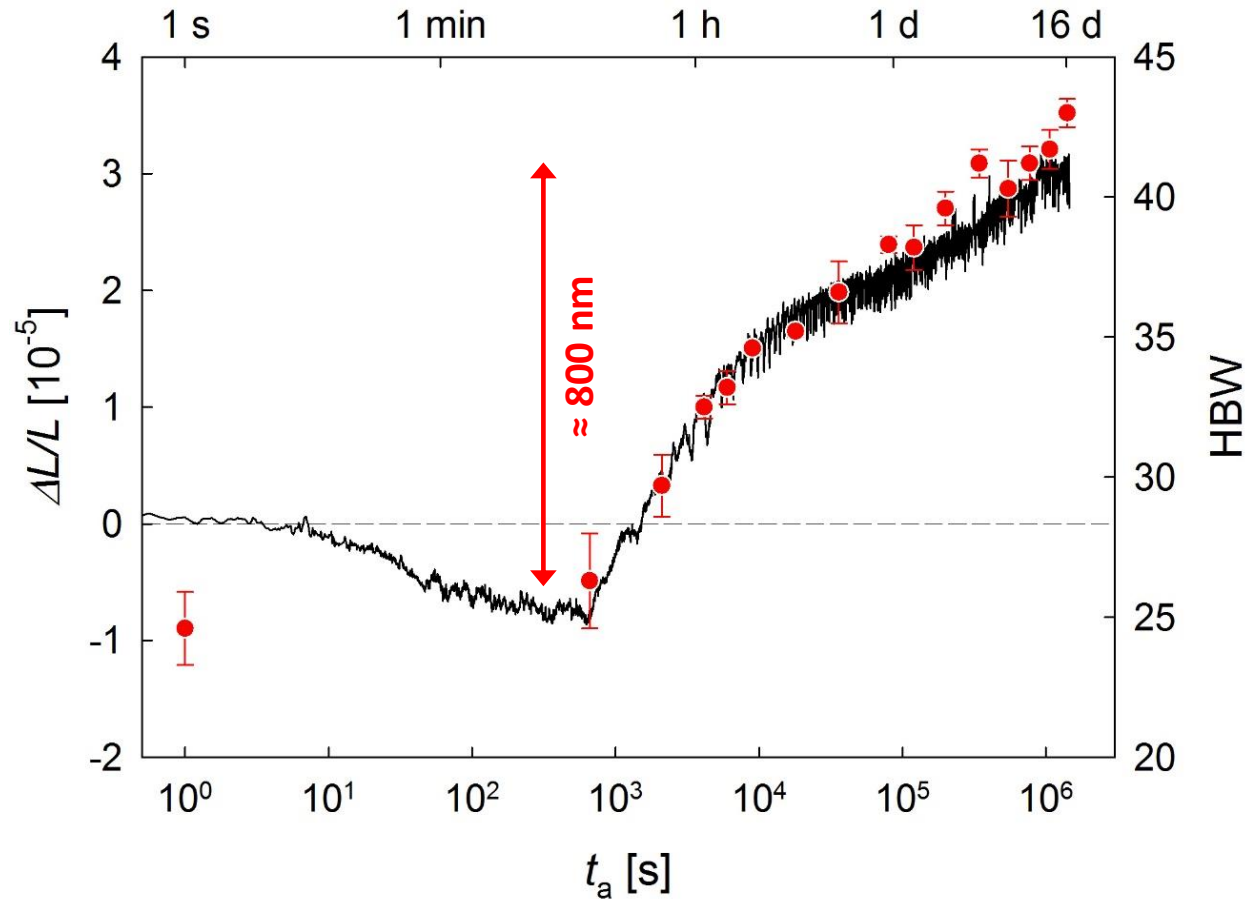
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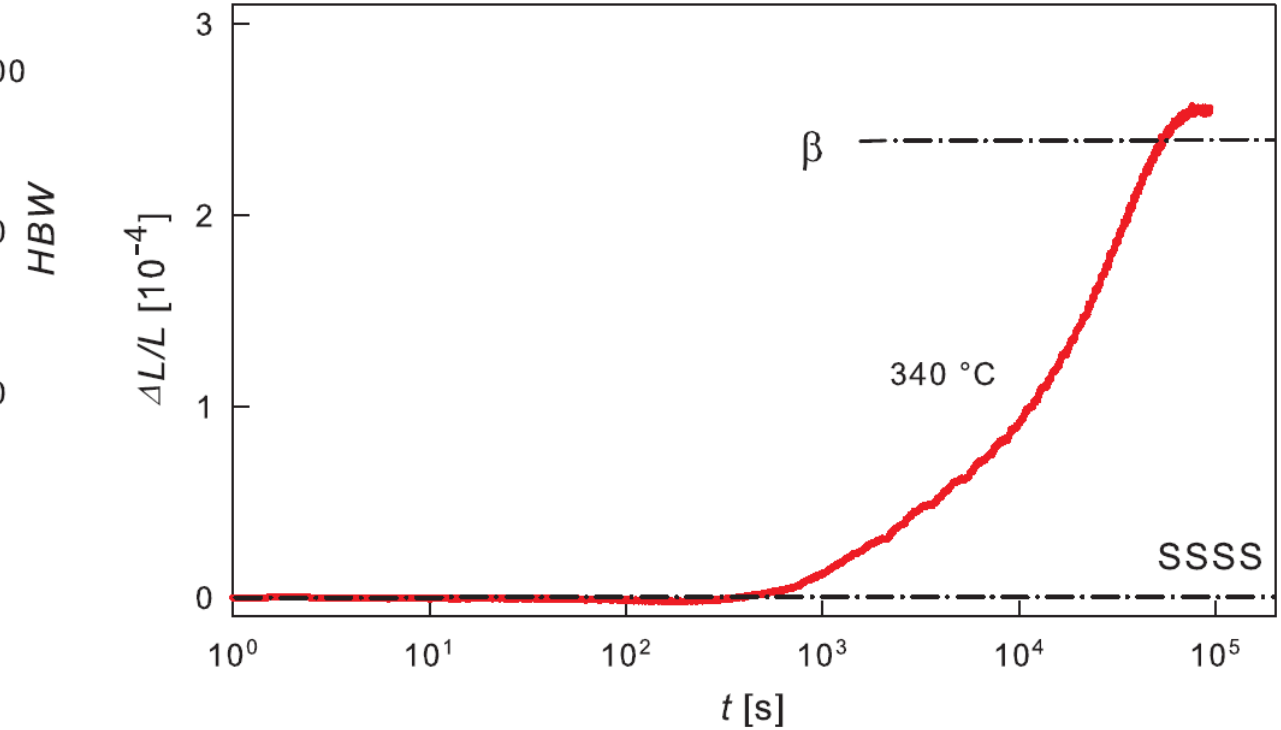
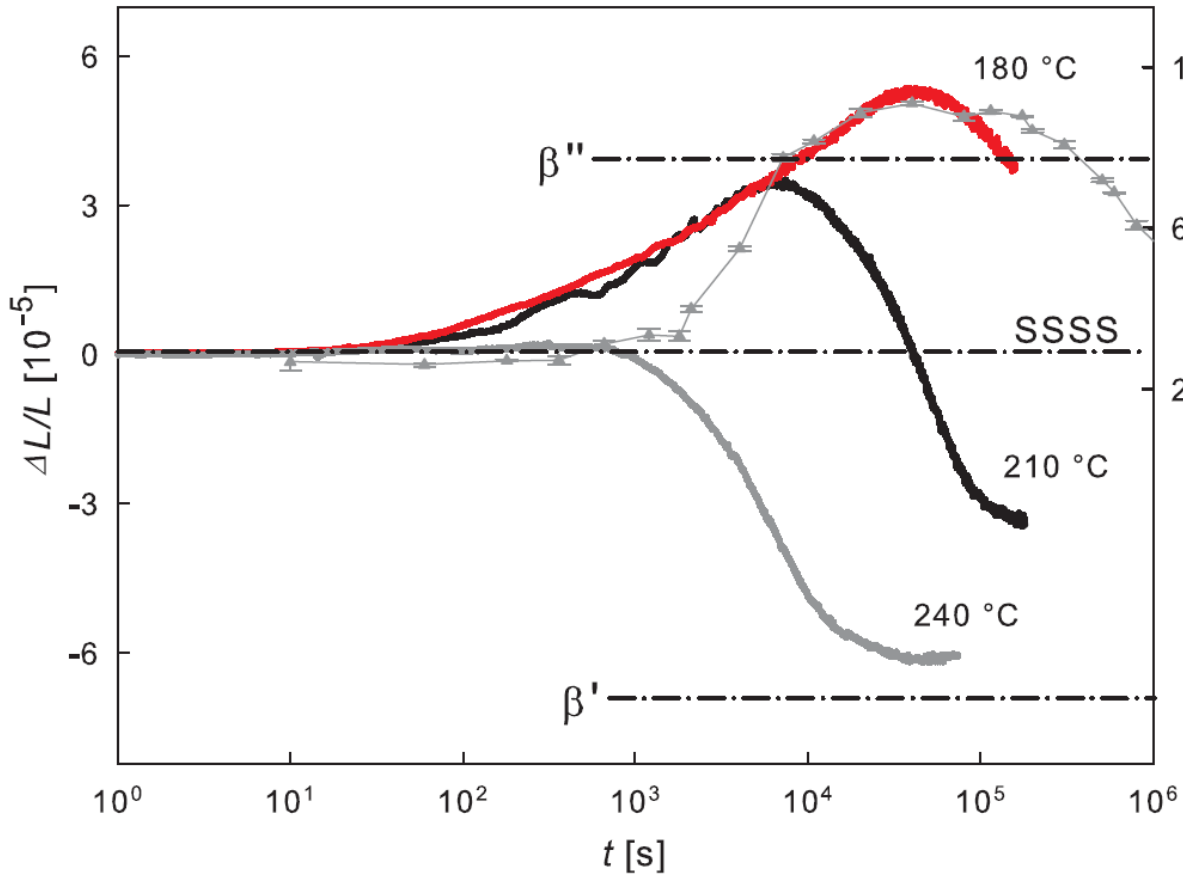
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Phase formation process can be monitored down to rates of **0.5 nm/h**



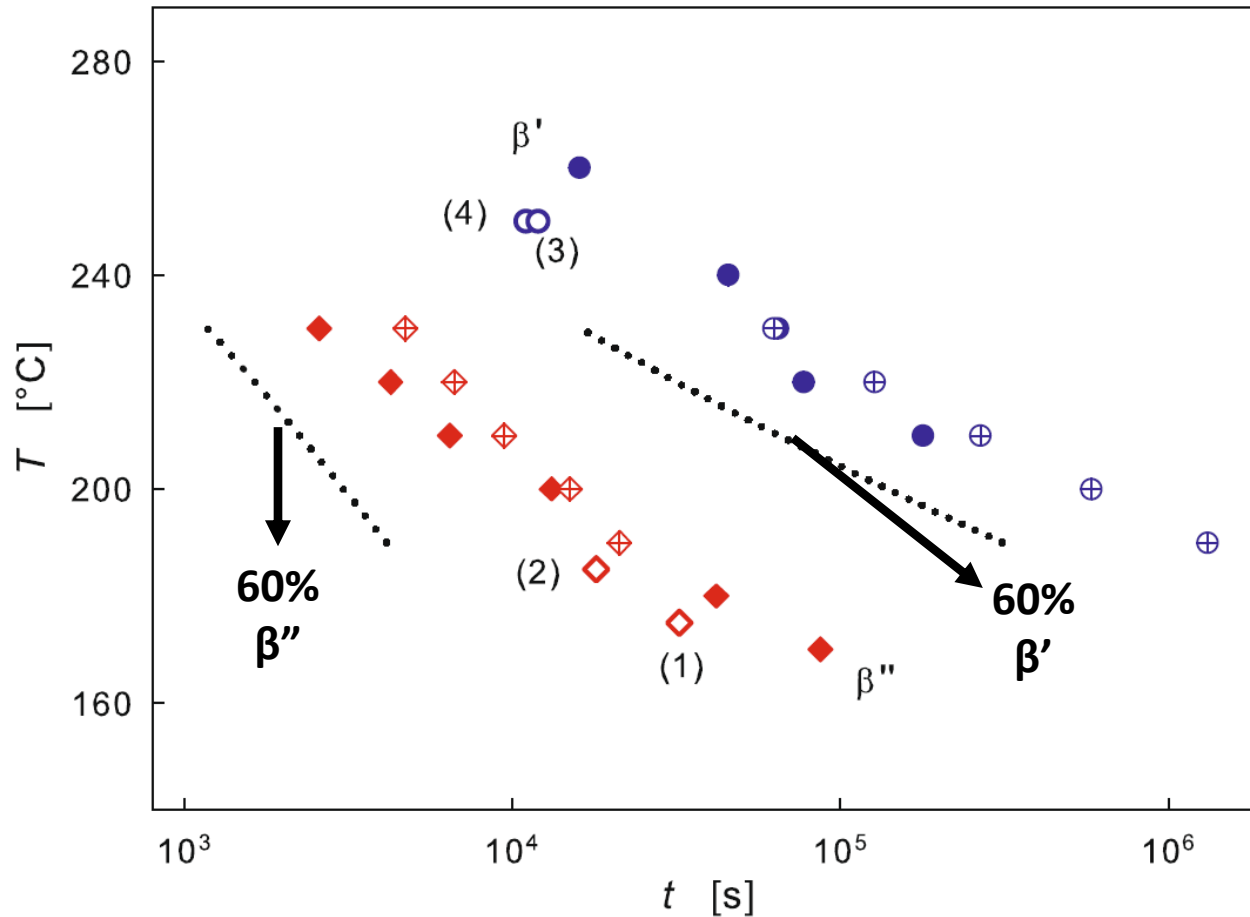
Precipitate formation in Al-Mg-Si (AW6060) Analysing the Results



Theoretical volume changes based on the available alloy elements concentration can be compared to the measurement



TTP diagram Al-Mg-Si (AW6060)



By analyzing the measurement results an

Isothermal TTP diagram can easily be drawn

Here the **symbols** correspond to **98% phase fraction** and the **dashed lines** represent **60%**

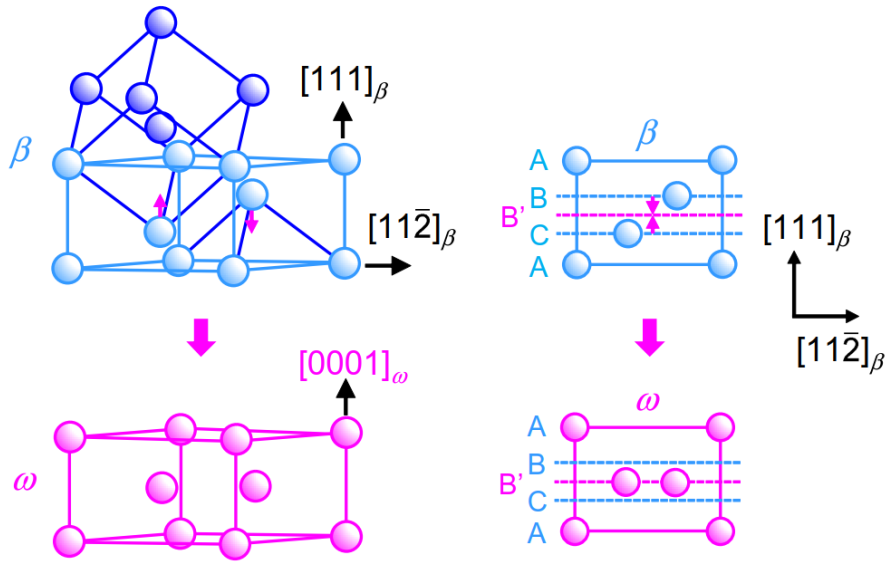


Case study 2:

Influence of Oxygen on the Kinetics of ω and α Phase formation in β Ti-V

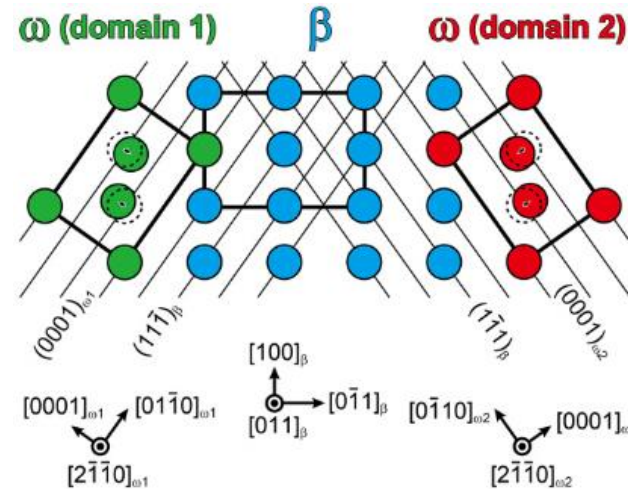
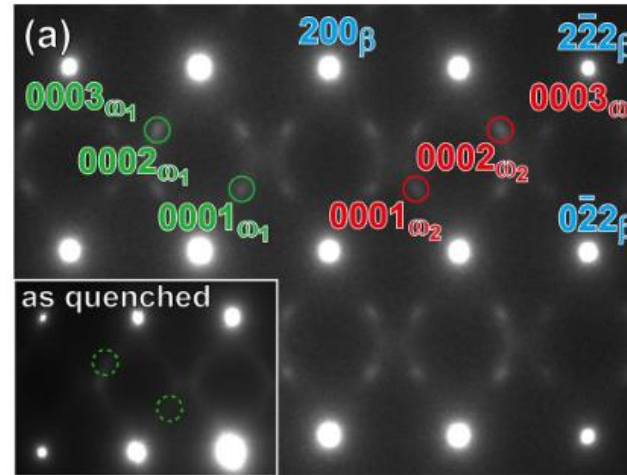


ω phase formation in β Ti matrix (Ti-21V)

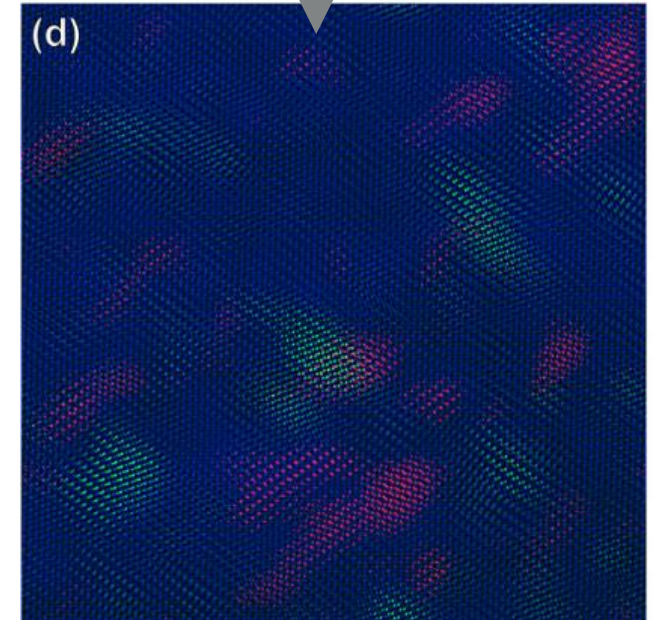


ω phase forms by a collapse of ever second (111) pair of the β phase

The formation of ω precipitates leads to **embrittlement**, often to a **total loss of ductility**

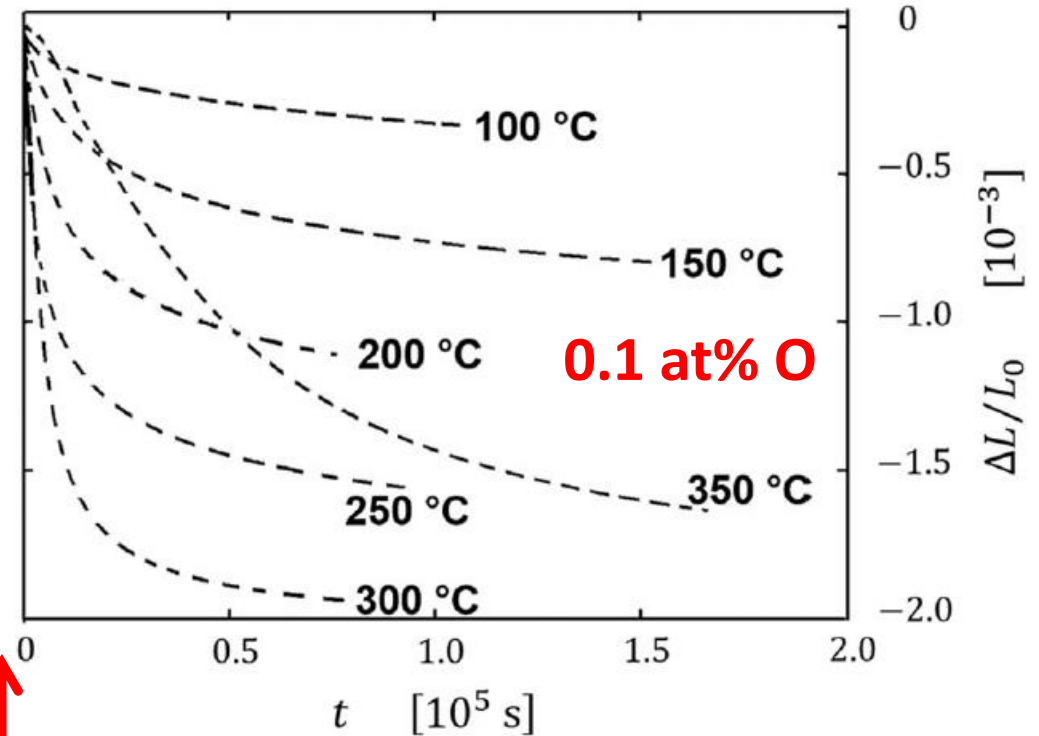
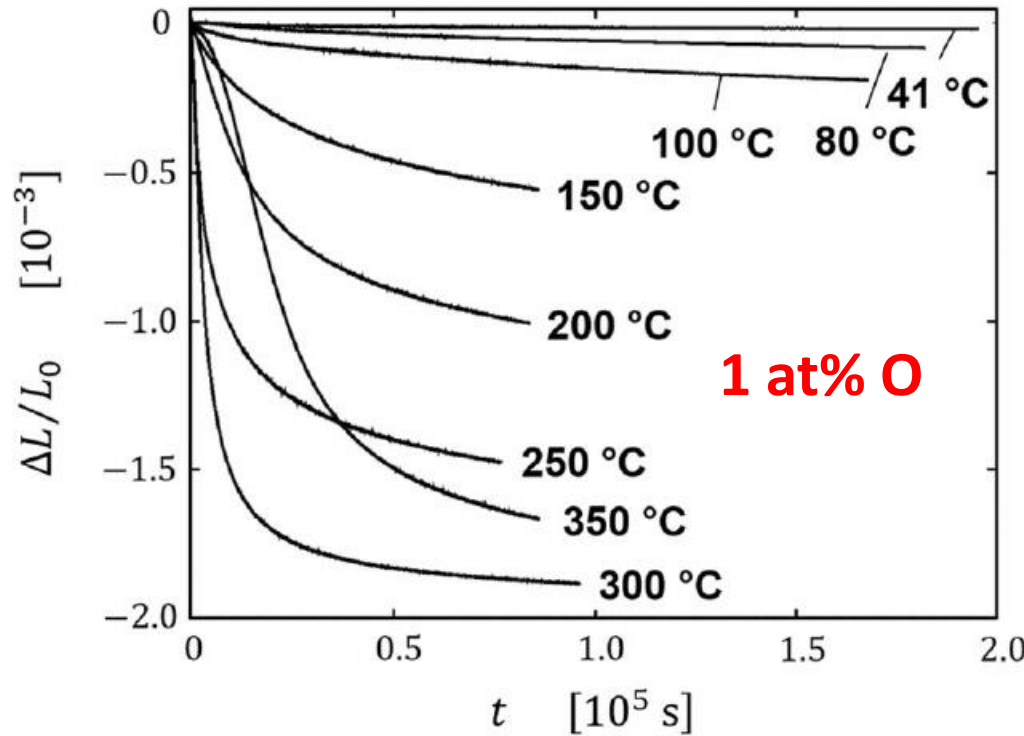


HAADF-STEM image taken along the $[011]_{\beta}$ direction
 β phase (B: blue) and domains 1 (G: green) and 2 (R: red) of the ω phase

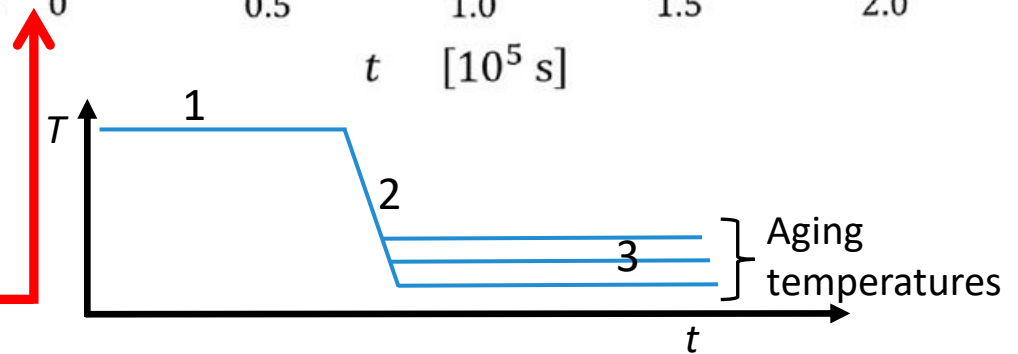




Kinetics of ω phase formation in Ti-21V

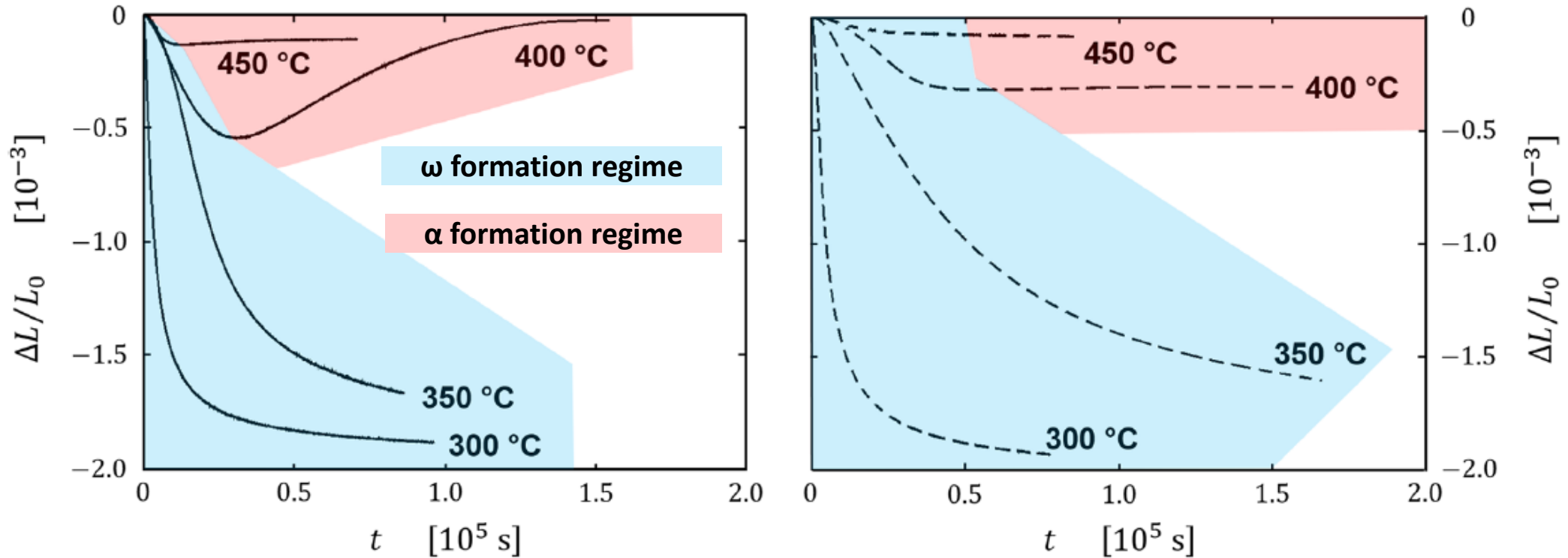


Step 1	Solutionizing: 880 °C for 45 min
Step 2	He-quench to Aging Temperature (30 K/s)
Step 3	Measurement at aging temperature





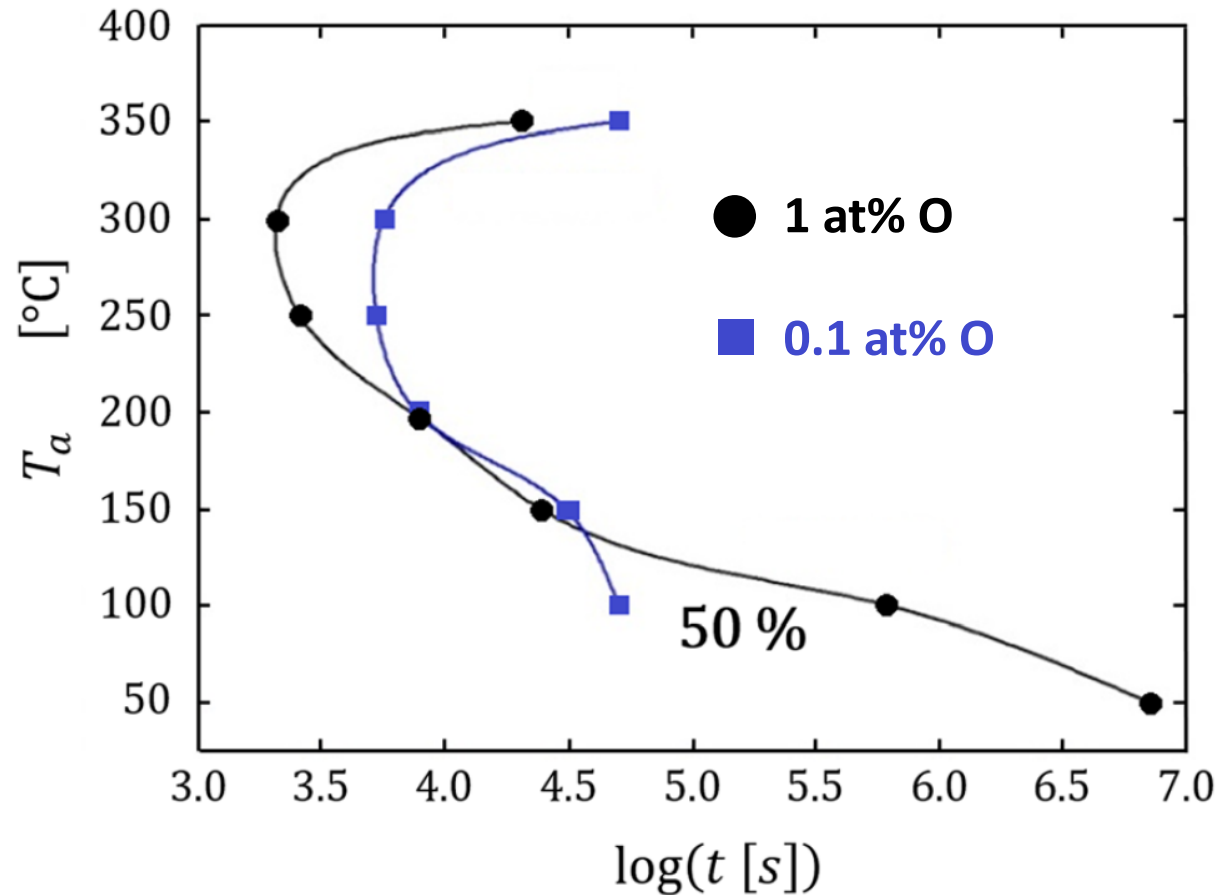
Kinetics of α phase formation in Ti-21V



The formation process of both phases is **easily resolved** and can be analyzed in terms of time constants



TTP diagram of ω phase formation in Ti-21V



Applying Austin-Rickett kinetics:

The **influence of oxygen** on the formation kinetics of ω was **quantified for the first time**

Shape also indicates the expected crossover in kinetics of ω formation



Summary

- Novel dilatometric techniques have the potential **to clarify long standing issues**
- In combination with modern microscopic techniques the method has **unparalleled potential**
- The direct isotherm replication and assessment allows for **time-temperature optimizations** and, consequently **Time and Energy savings**
- **Increase in resolution and measurement stability** to allow for isothermal dilatometric measurements **is possible**

Outlook

- Application to **novel and established alloy systems** as well application in **fundamental research projects**.



Appendix



Modelling the AW6060 data

2 rate approach (beta' only forms from beta'')

Rate equations for the phases

$$\dot{c}_{\beta''}(t) = k_1 \left\{ c_0 - \left[c_{\beta''}(t) + c_{\beta'}(t) \right] \right\} - k_2 c_{\beta''}(t), \quad (1)$$

$$\dot{c}_{\beta'}(t) = k_2 c_{\beta''}(t), \quad (2)$$

Eq. 1 representing JMAK kinetics with n=1 for the formation β''

Solution with initial zero concentration of both phases:

$$c_{\beta''}(t) = c_0 \frac{k_1}{k_2 - k_1} \left\{ \exp(-k_1 t) - \exp(-k_2 t) \right\}, \quad (3)$$

$$c_{\beta'}(t) = c_0 \frac{1}{k_2 - k_1} \left\{ -k_2 \exp(-k_1 t) + k_1 \exp(-k_2 t) \right\} + c_0.$$

C₀ is the maximum molar fraction of beta'
(from alloying elements and measurements)

3 rate approach (beta' forms from beta'' and beta' can directly form, presumably at defects)

$$\dot{c}_{\beta'_{\text{dir}}}(t) = k_3 \left\{ c_0 - \left[c_{\beta''}(t) + c_{\beta'}(t) + c_{\beta'_{\text{dir}}}(t) \right] \right\} \quad (7)$$

Solutions then read:

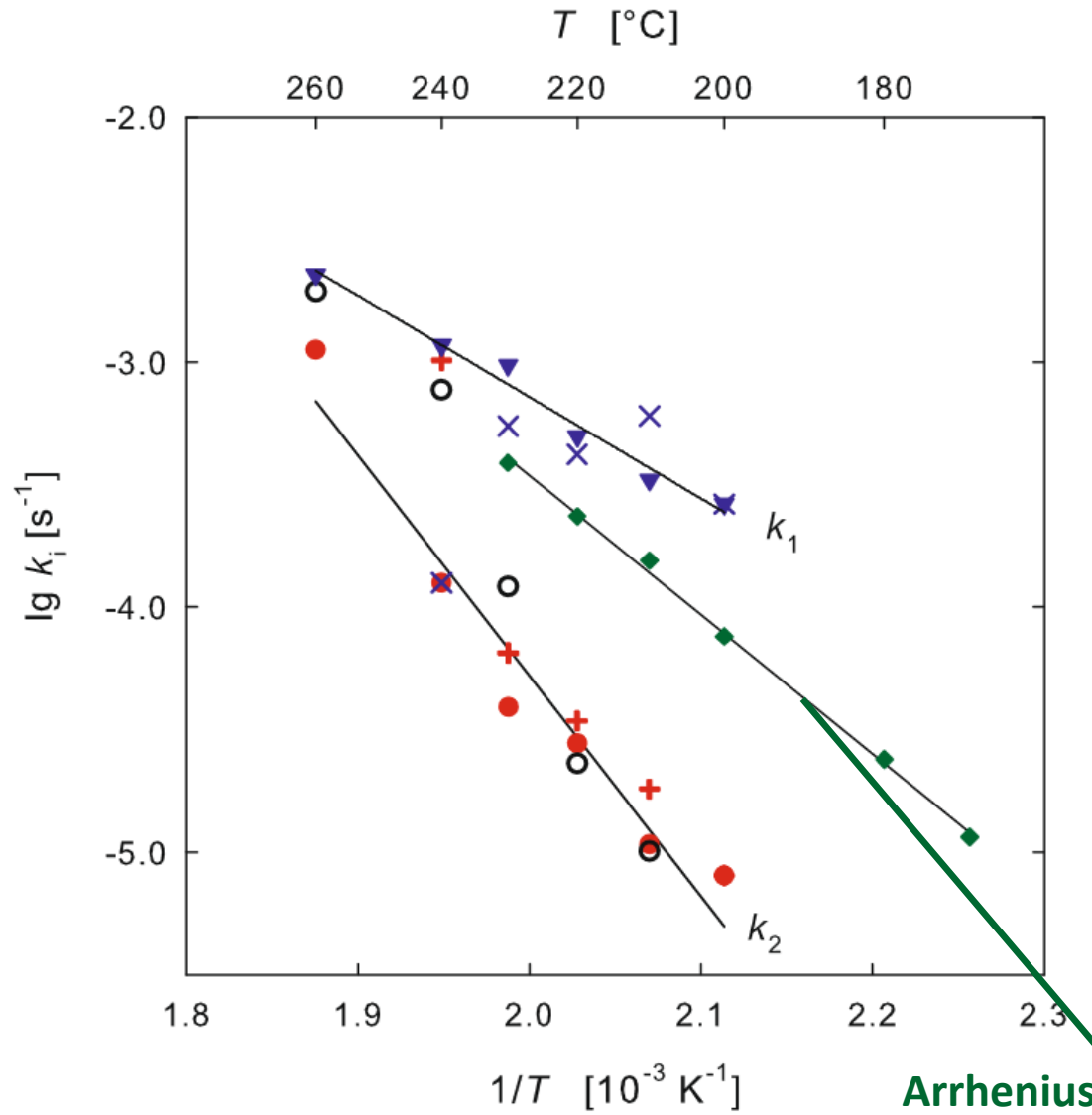
$$c_{\beta''}(t) = c_0 \frac{k_1}{k_2 - (k_1 + k_3)} \left\{ \exp(-(k_1 + k_3)t) - \exp(-k_2 t) \right\}, \quad (8)$$

$$c_{\beta'}(t) = c_0 \frac{1}{k_2 - (k_1 + k_3)} \left\{ -\frac{k_2 k_1}{k_1 + k_3} \exp(-(k_1 + k_3)t) + k_1 \exp(-k_2 t) \right\} + c_0 \frac{k_1}{k_1 + k_3}. \quad (9)$$

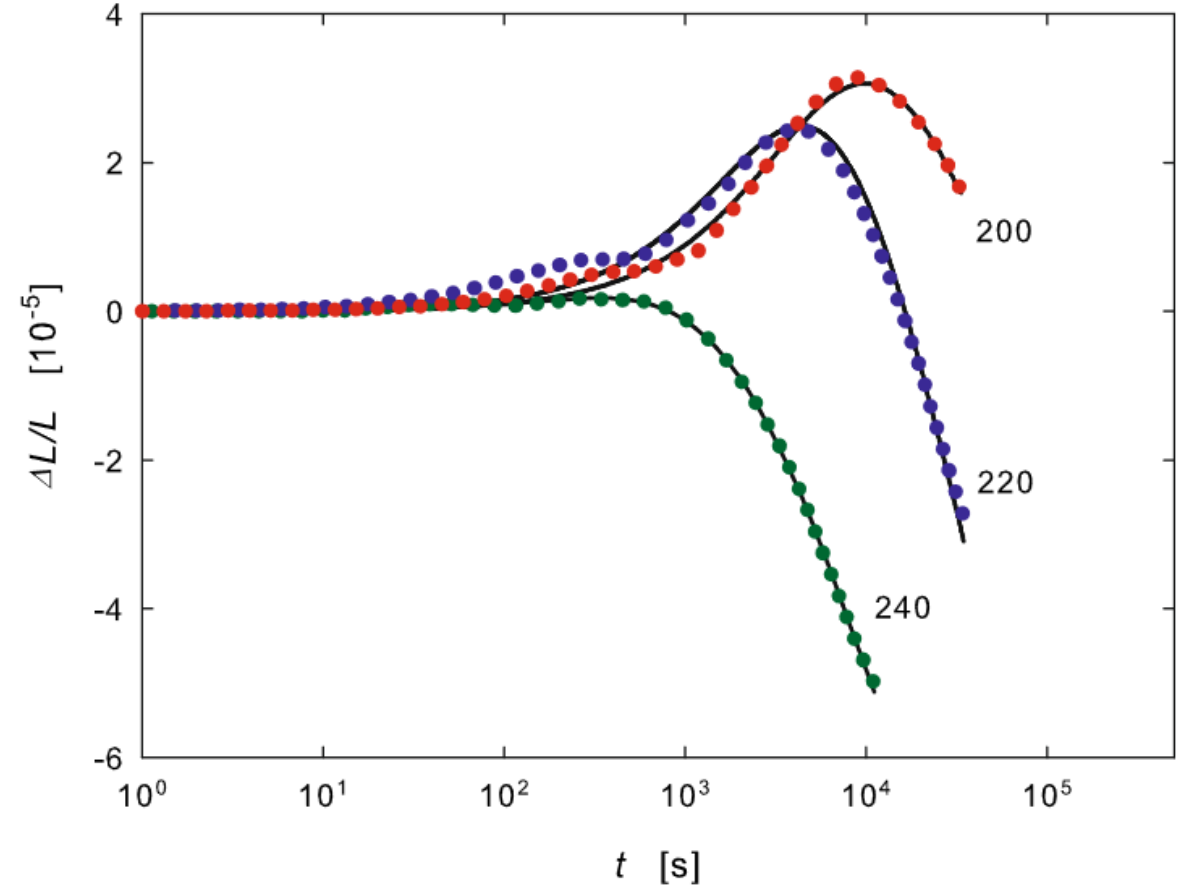
$$c_{\beta'_{\text{dir}}}(t) = c_0 \frac{k_3}{k_1 + k_3} \left\{ 1 - \exp(-(k_1 + k_3)t) \right\}, \quad (10)$$



Modelling the AW6060 data



Arrhenius analysis
of peak shift





Modelling the TiV data

Length change due to (spinodal) **decomposition**:

$$\begin{aligned} \left(\frac{\Delta L}{L_0}\right)_{\text{decomp.}} &= \frac{1}{3}x_{\beta_l} \left(\frac{a_{\beta}^3(c_{V,\beta_l}, T)}{a_{\beta}^3(c_{V,0}, T)} - 1 \right) \\ &\quad + \frac{1}{3}x_{\beta_r} \left(\frac{a_{\beta}^3(c_{V,\beta_r}, T)}{a_{\beta}^3(c_{V,0}, T)} - 1 \right) \quad [1] \\ &= \left(\frac{\Delta L}{L_0}\right)_{\beta_l} + \left(\frac{\Delta L}{L_0}\right)_{\beta_r}, \end{aligned}$$

Length change due to **ω formation**:

$$\begin{aligned} \left(\frac{\Delta L}{L_0}\right)_{\omega\text{-form.}} &= \frac{1}{3}x_{\omega} \left(\frac{\frac{1}{3}\frac{\sqrt{3}}{2}a_{\omega}^2(c_{V,\omega}, T)c_{\omega}(c_{V,\omega}, T)}{\frac{1}{2}a_{\beta}(c_{V,0}, T)} - 1 \right) \\ &\quad + \frac{1}{3}x_{\beta_r} \left(\frac{a_{\beta}^3(c_{V,\beta_r}, T)}{a_{\beta}^3(c_{V,0}, T)} - 1 \right) \\ &= \left(\frac{\Delta L}{L_0}\right)_{\omega} + \left(\frac{\Delta L}{L_0}\right)_{\beta_r}, \end{aligned}$$

Length change due to **ω to α transformation**:

$$\begin{aligned} \left(\frac{\Delta L}{L_0}\right)_{\omega\text{-to-}\alpha\text{-transform.}} &= \frac{1}{3}x_{\alpha} \left(\frac{\frac{1}{2}\frac{\sqrt{3}}{2}a_{\alpha}^2(T)c_{\alpha}}{\frac{1}{2}a_{\beta}^3(c_{V,0}, T)} - 1 \right) \\ &\quad + \frac{1}{3}(x_{\omega}^0 - x_{\alpha}) \left(\frac{\frac{1}{3}\frac{\sqrt{3}}{2}a_{\omega}^2(c_{V,\omega}^0, T)c_{\omega}(c_{V,\omega}^0, T)}{\frac{1}{2}a_{\beta}^3(c_{V,0}, T)} - 1 \right) \quad [3] \\ &\quad + \frac{1}{3}x_{\beta_r}^0 \left(\frac{a_{\beta}^3(c_{V,\beta_r}, T)}{a_{\beta}^3(c_{V,0}, T)} - 1 \right) \\ &= \left(\frac{\Delta L}{L_0}\right)_{\alpha} + \left(\frac{\Delta L}{L_0}\right)_{\omega} + \left(\frac{\Delta L}{L_0}\right)_{\beta_r}. \end{aligned}$$



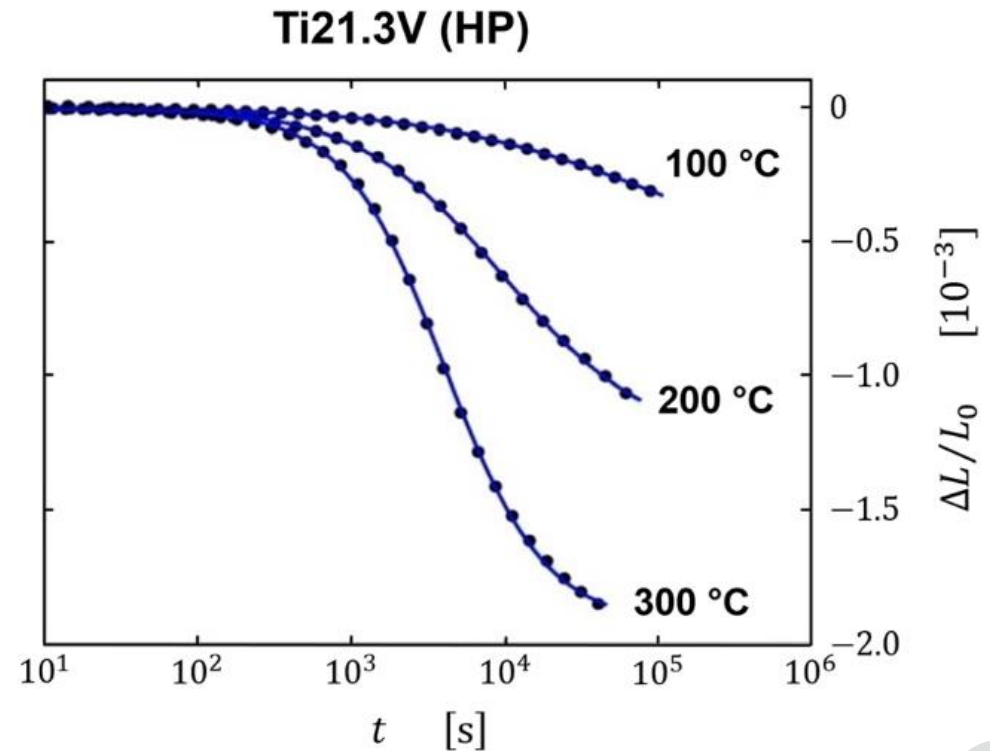
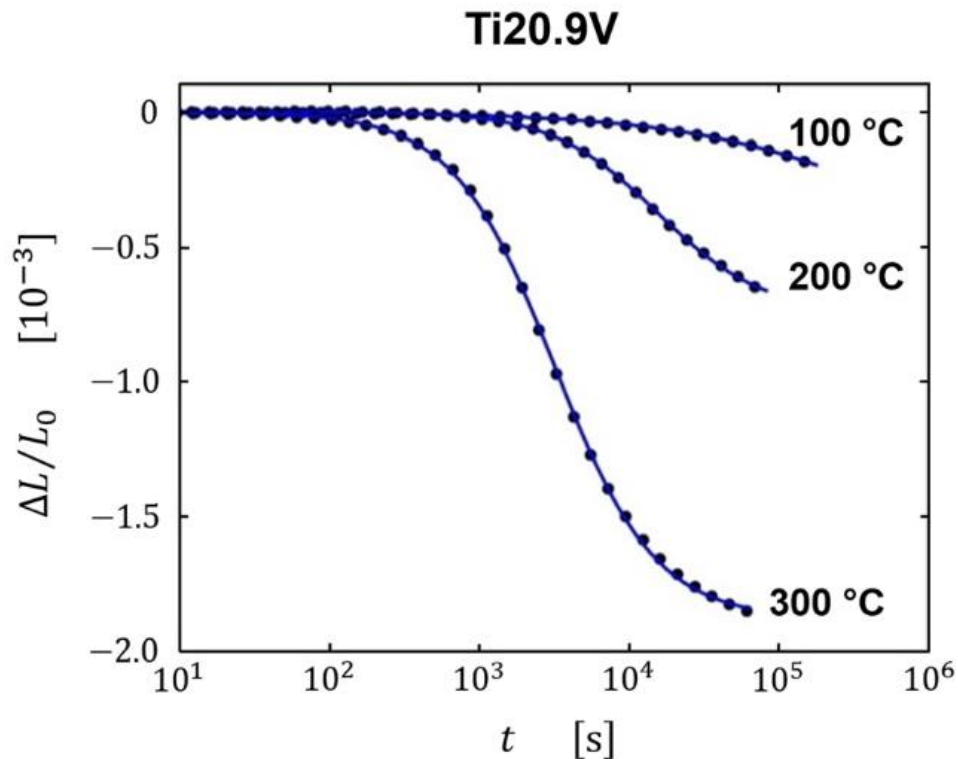
Modelling the TiV data

Austin-Rickett kinetics:

$$\alpha(t) = 1 - \frac{1}{(k(T)t)^{n_{AR}} + 1}, \quad [4]$$

Fitting function for the obtained results:

$$f(t) = A\alpha(t) + f_0 = A \left\{ 1 - \frac{1}{(k(T)t)^{n_{AR}} + 1} \right\} + f_0, \quad [5]$$





Modelling the TiV data

